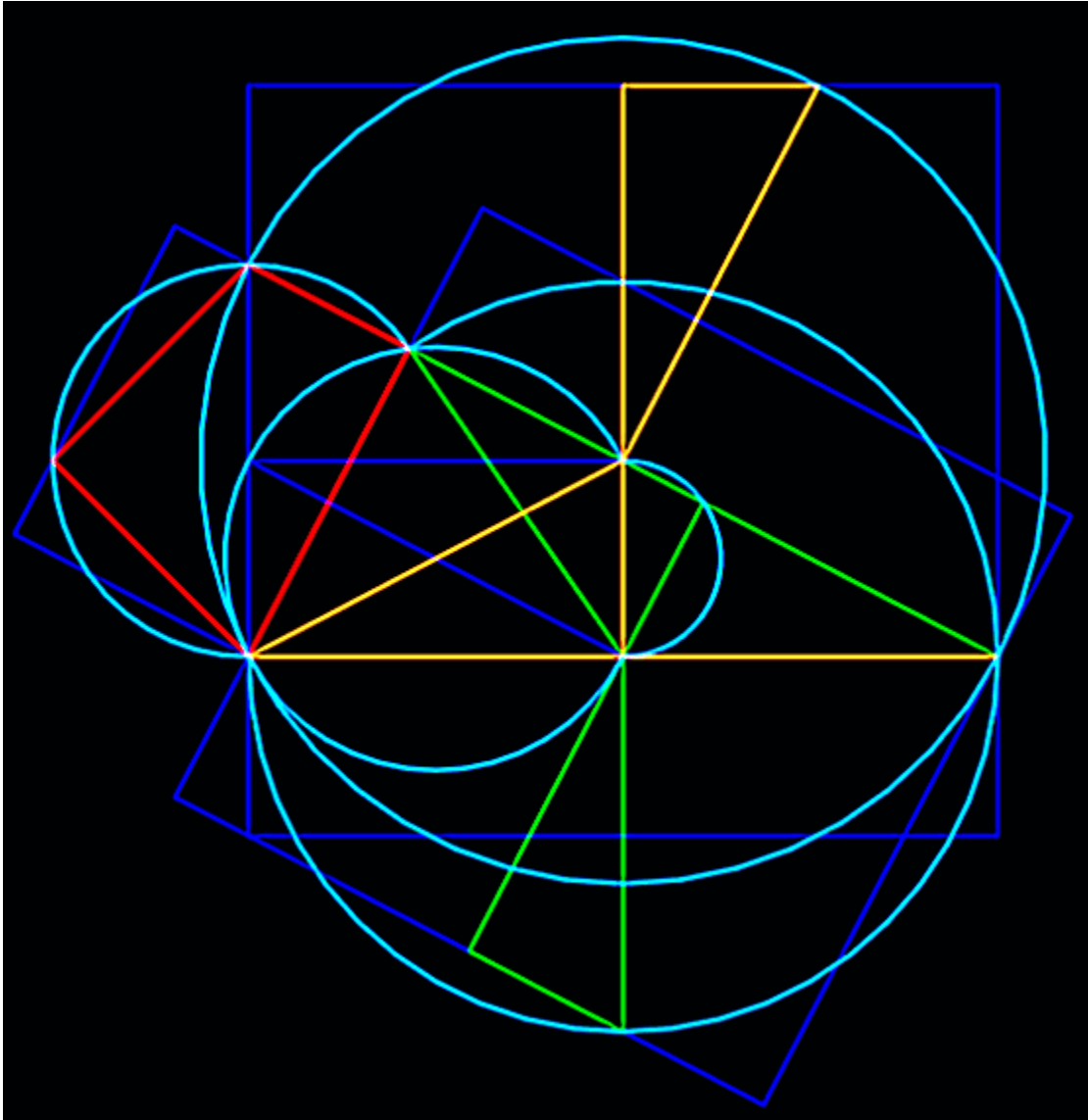


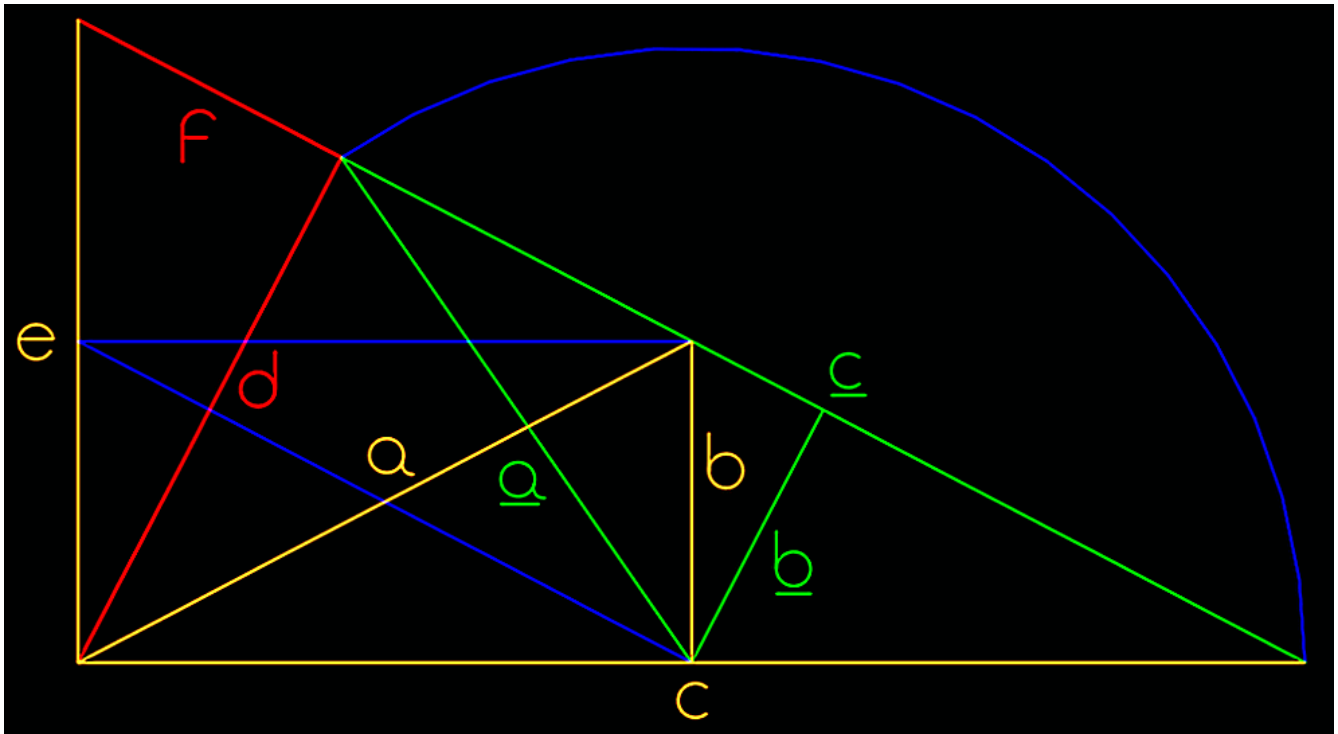
## Sqrt(Pi)'s *Tri-Phi Pi* and the Two-Tine Fork



Squared-circles' R/Y,Y,G line length ratios = sqrt(Pi)  
and confirm the Tri-Phi Pi (triangle's primary ratios):

- ~ hyp to long side = 1.1283791670955125738961589031215..
- ~ long side to short side = 1.913058380271100794740307828..
- ~ hyp to short side = 1.1283791670955125738961589031215..
- x 1.9130583802711007947403078280203..
- = 2.1586552217353950788554161024243..

## Sqrt(Pi) Ratios



$$\frac{c}{a} = c/a = d/b = \text{sqrt}(\text{Pi})$$

$$= 1.7724538509055160272981674833411..$$

$$\frac{c}{c} = a/a = 2(\text{sqrt}(1/\text{Pi}))$$

$$= 1.1283791670955125738961589031215..$$

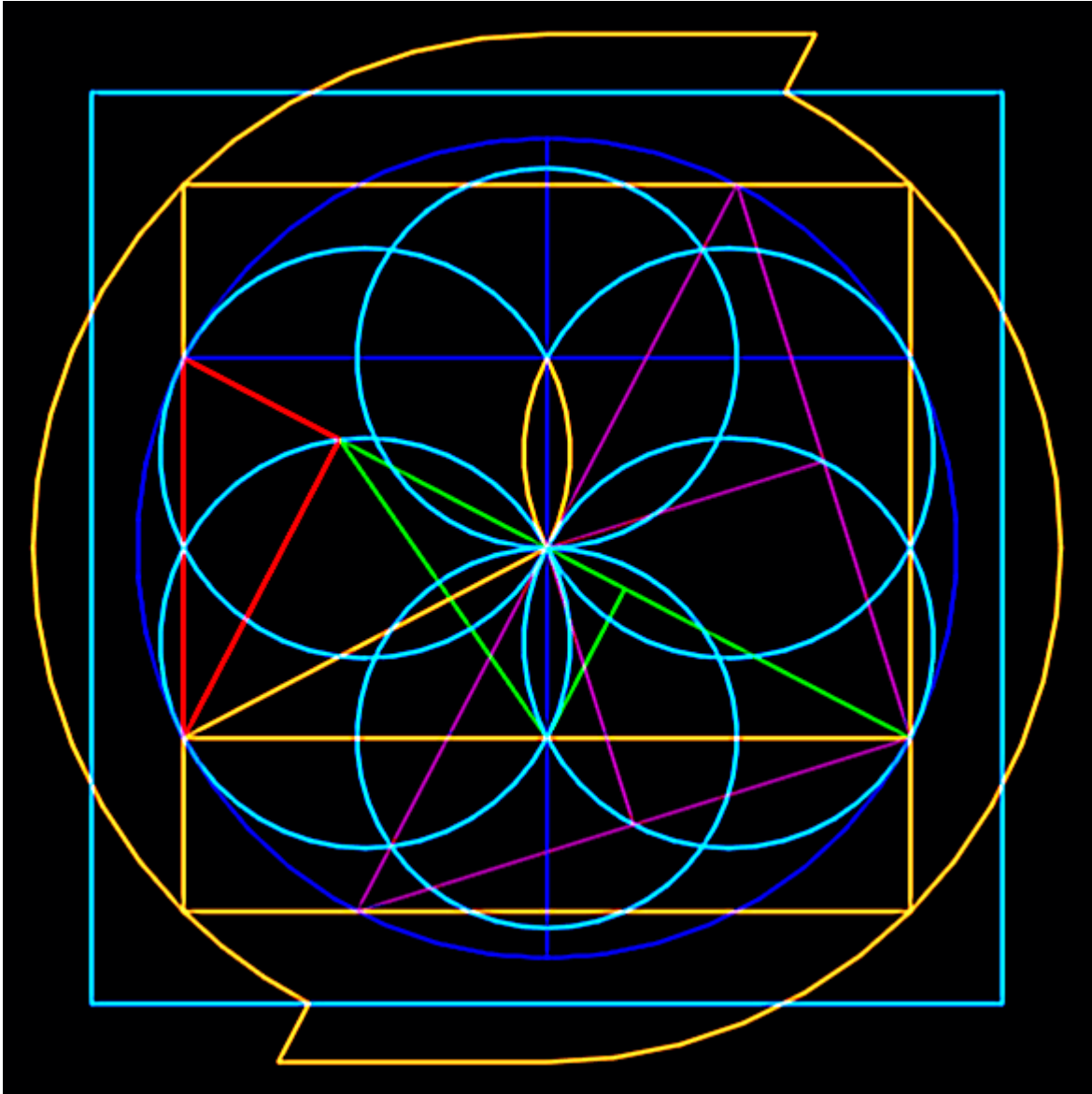
$$\frac{e}{b} = 4(\text{sqrt}(1/\text{Pi}))$$

$$= 2.2567583341910251477923178062431..$$

$$\frac{c}{d} = d/f = \text{Phi of Pi}$$

$$= 1.9130583802711007947403078280203..$$

## Sqrt(Pi) RIP



### Sqrt(Pi) Ratios In Pattern

$$\text{Diameter} / 2(\text{sqrt}(1/\text{Pi})) = \text{SoCS}$$

$$\text{SoCS} \times 2(\text{sqrt}(1/\text{Pi})) = \text{Diameter}$$

## Sqrt(Pi) RIP (supporting numbers)

The hypotenuse and long side ratios of the two integrated circle-squaring right triangles (SoCS = Side of Circle's Square)

$$4.0 / 2(\text{sqrt}(1/\text{Pi})) = 2(\text{sqrt}(\text{Pi})) \text{ small triangle's long side}$$

$$= 4.0 / 1.1283791670955125738961589031215..$$

$$= 3.5449077018110320545963349666823..$$

$$4.0 \times 2(\text{sqrt}(1/\text{Pi})) = 4(\text{sqrt}(1/\text{Pi})) \text{ large triangle's hypotenuse}$$

$$= 4.0 \times 1.1283791670955125738961589031215..$$

$$= 4.5135166683820502955846356124862..$$

$$4(\text{sqrt}(1/\text{Pi})) / 2(\text{sqrt}(\text{Pi})) = 2(\text{sqrt}(1/\text{Pi}))^2$$

$$= 4.5135166683820502955846356124862..$$

$$/ 3.5449077018110320545963349666823..$$

$$= 1.2732395447351626861510701069801..$$

$$= 2(\text{sqrt}(1/\text{Pi}))^2 \text{ cross-triangles' increment}$$

$$\text{Circle's radius} \times \text{sqrt}(\text{Pi}) = \text{SoCS}$$

$$= 2(\text{sqrt}(1/\text{Pi})) \times \text{sqrt}(\text{Pi})$$

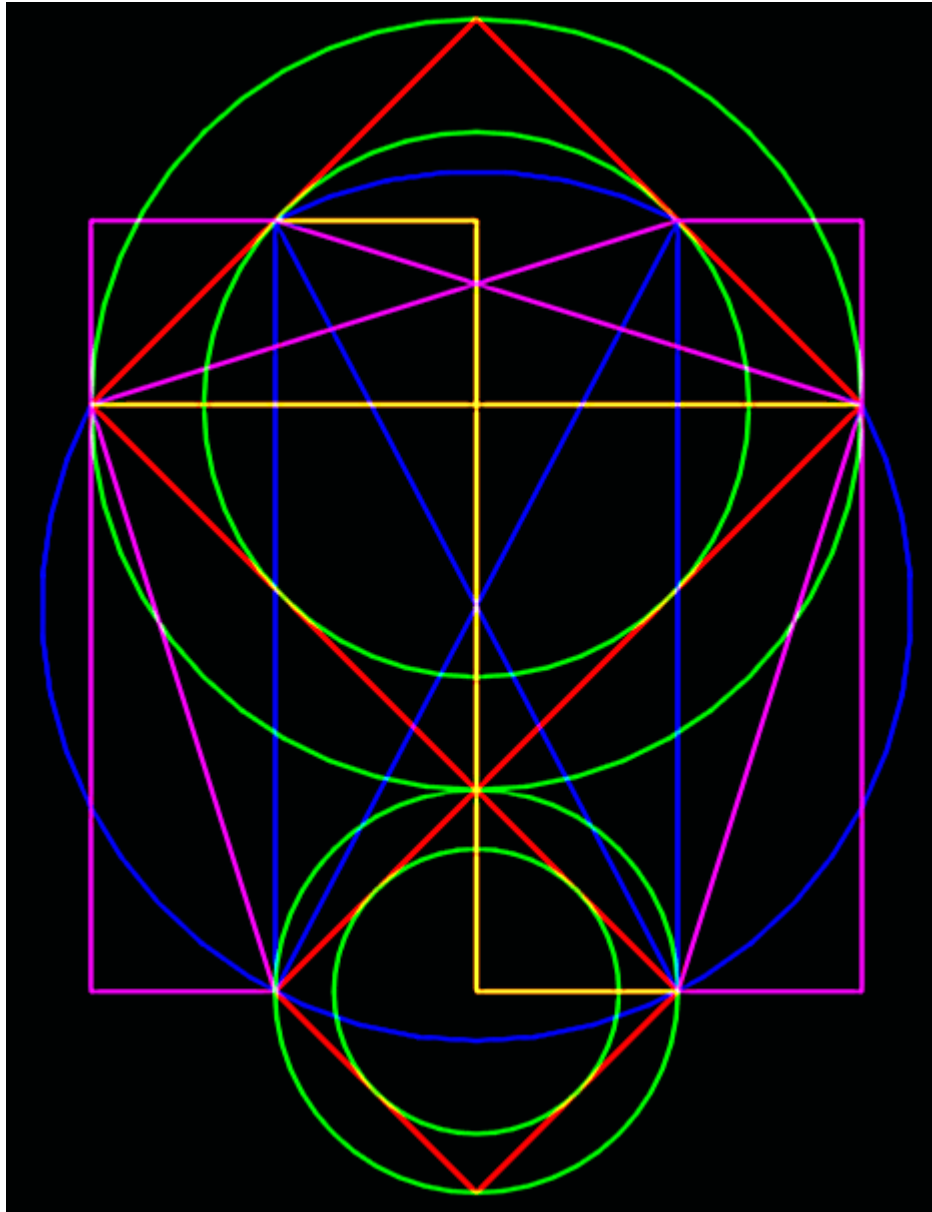
$$= 1.1283791670955125738961589031215..$$

$$\times 1.7724538509055160272981674833411..$$

$$= 2.0 = \text{SoCS}$$

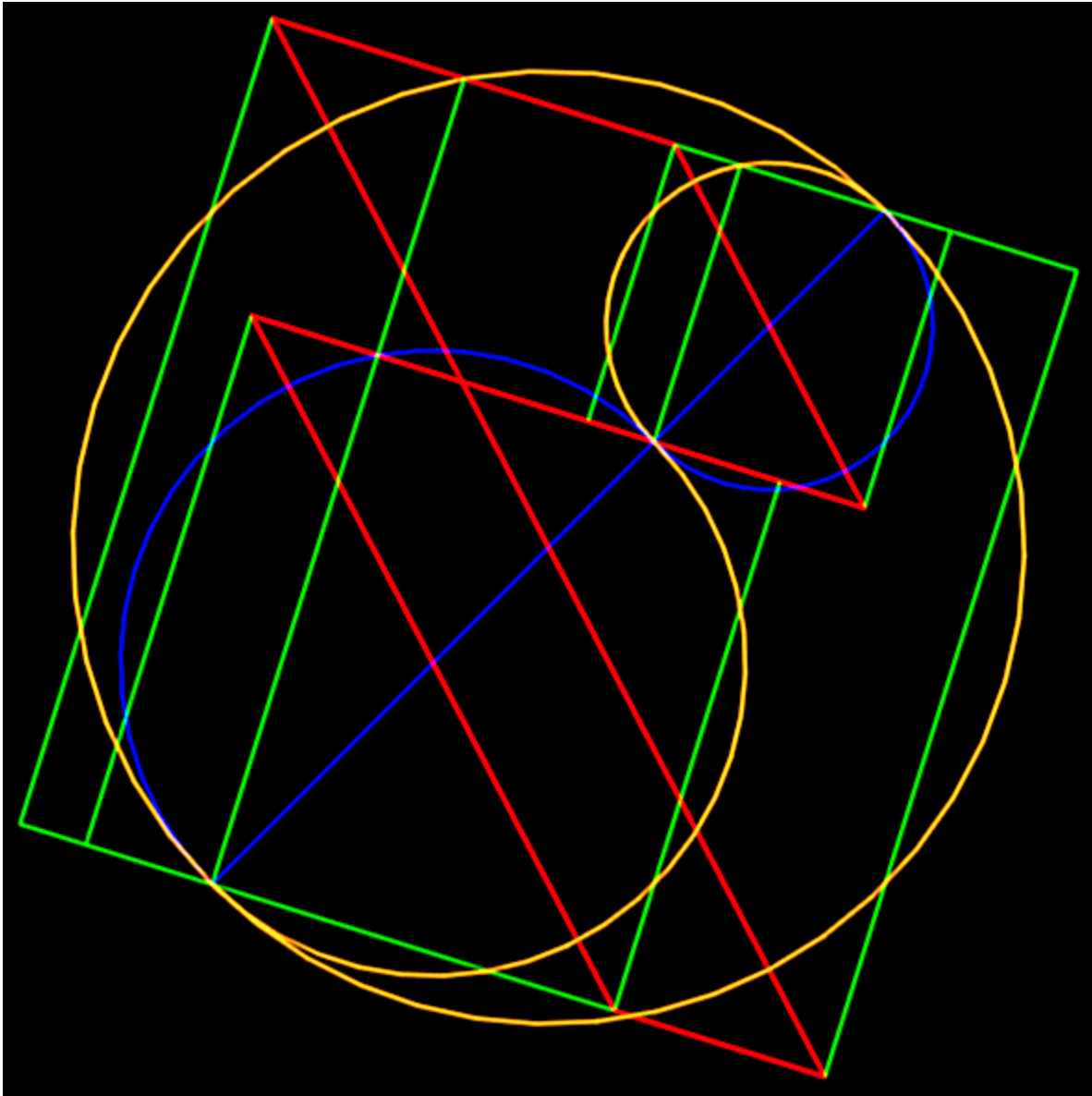
Summary: 4.0 is the square of a circle having a diameter of  $4(\text{sqrt}(1/\text{Pi}))$

1point913



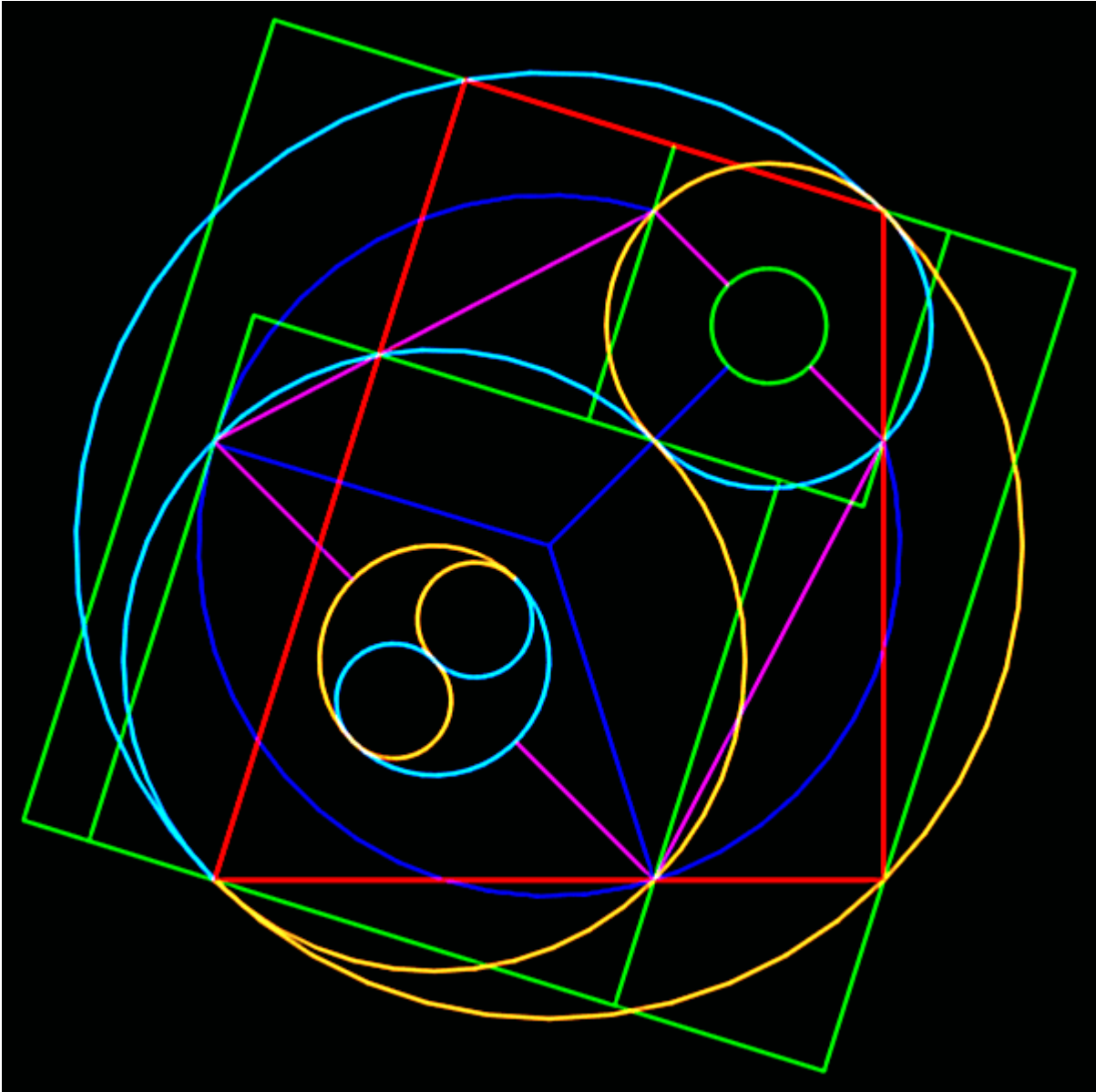
Right triangle's ratio of long side to short side  
= 1.9130583802711007947403078280203..  
(when circle squared by this Pythagorean)

## 1point913 Case Closed



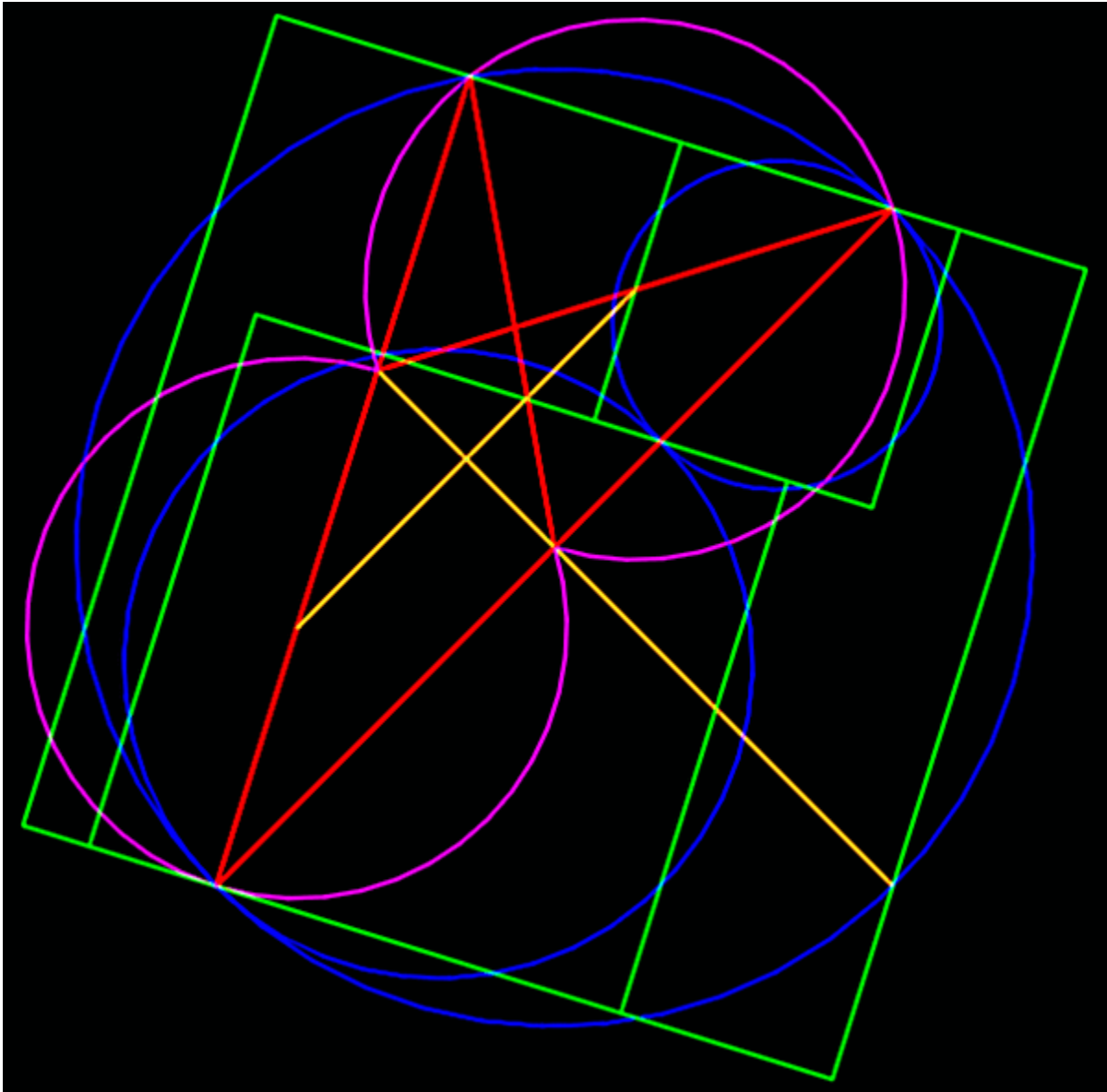
Squared circle geometry that speaks for itself  
(3 circles squared, one encloses the 1.913.. set),  
but inquires “Whence transcendental Pi?”

## House of Wu Wei



First exploration of the 1.913.. geometric somos  
and second step of the next 1,000-mile journey.

## 1point913 ICU



**Sqrt(Pi) Ratios in circle-squaring right triangles:**

**hypotenuse / long side**

$$= 1.1283791670955125738961589031216.. \quad 2(\sqrt{1/\pi})$$

**long side / (hypotenuse / 2)**

$$= 1.7724538509055160272981674833411.. \quad \sqrt{\pi}$$

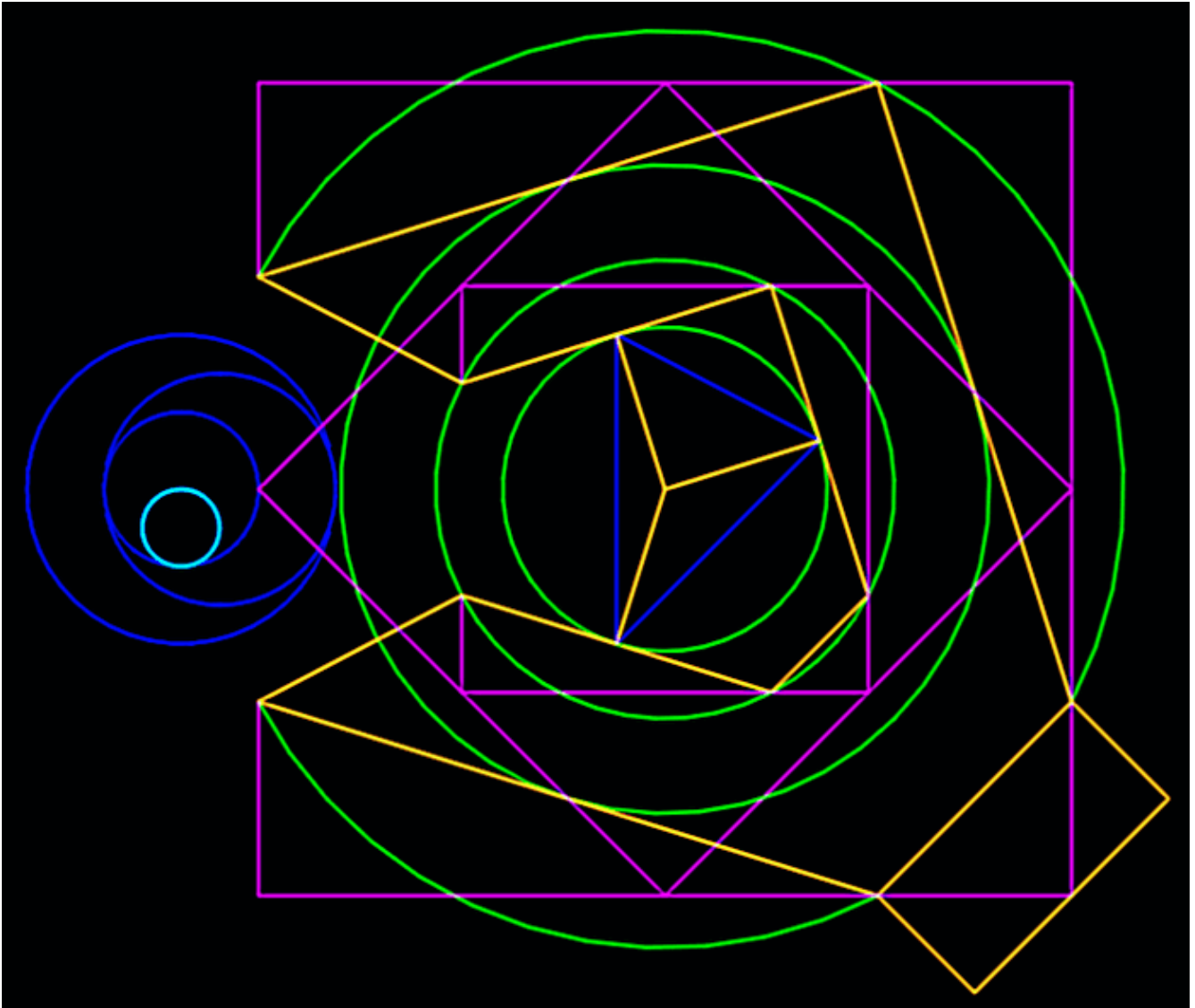
**long side / short side**

$$= 1.9130583802711007947403078280203.. \quad i\Phi$$





## iTrapezoids Nested

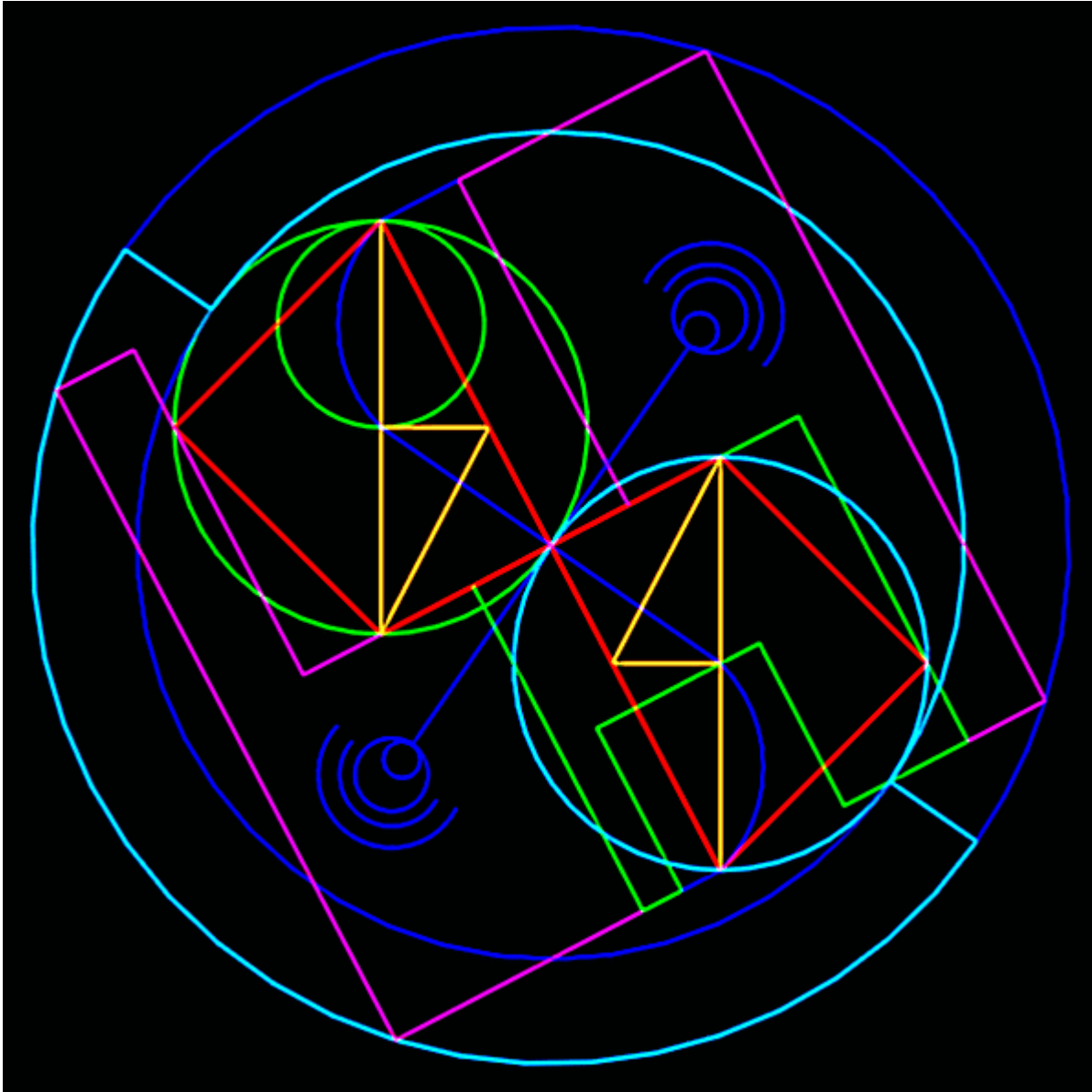


Long story short:

$\pi / \pi = 1$  in the CSCSC Pi Corral  
where  $\sqrt{\pi} \times 2/\sqrt{\pi} = 2$

Ask "Why?" ... then "Why not?!"

**Quadrature O'er the E-R Bridge  
(perceived from the House of Wu Wei)**



**As wisdom accumulates through the ages,  
Route 44 may be gaining in popularity  
with its Galactic Positioning System.**